

Genomic prediction of heterosis for egg production traits in white Leghorn crosses

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Heterosis

- Heterosis is an essential element of crossbreeding schemes
- Problem: selection of suitable parental lines
- Prediction has a long history with inconsistent results
 - limited number of markers/small data sets

Aim

Does genome-wide difference in allele frequency
between pure lines
predict heterosis in white Leghorns?

Data

- 11 pure lines - genotype
- Allele frequency at 60K SNP loci
- 47 crosses - phenotype
- Egg number, egg weight, survival

Theory

- Heterosis is proportional to the squared difference in allele frequency (SDAF) between the parental lines

$$\text{Heterosis}_{ij} = \sum_l d_{i,l} (p_{i,l} - p_{j,l})^2$$

d : dominance deviation

$P_{i,l}$: allele frequency at locus l in parental line i

$P_{j,l}$: allele frequency at locus l in parental line j

(Falconer & Mackay, 1996)

Model

- Regress crossbred phenotypes on SDAF

$$y_{ijklm} = \mu + \text{sire - line}_i + \text{dam - line}_j + \beta \cdot \text{SDAF}_{ij} + \dots + e_{ijklm}$$

$$\Rightarrow \hat{\beta}_{\text{trait}}$$

$$\text{Predicted heterosis}_{\text{trait, ij}} = \hat{\beta}_{\text{trait}} \times \text{SDAF}_{ij}$$

- Observed heterosis ($y^\#$): crossbred phenotypes corrected for parental means

Accuracy of prediction

- Correlation between observed and predicted heterosis
- Cross-validation
 - Predict heterosis for crosses left out of the estimation of β
 - Leave-one-out strategy

Estimated heterosis due to SDAF

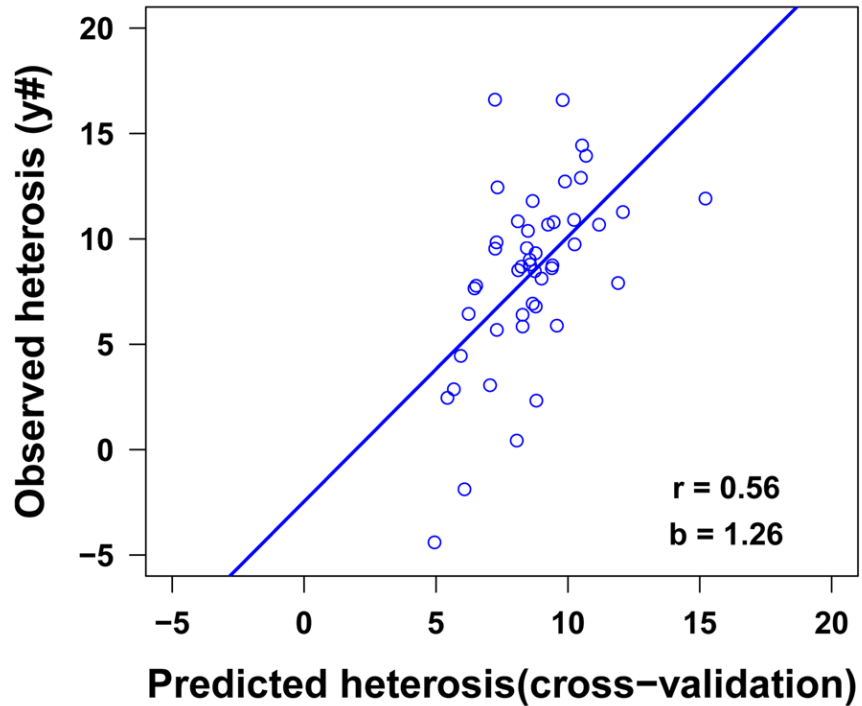
Trait	$\hat{\beta}$	$se(\hat{\beta})$	p value
Egg number	103.5	16.8	>0.001
Egg weight	22.3	2.2	>0.001
Survival days	-42.1	25.9	0.10

SDAF explains heterosis:

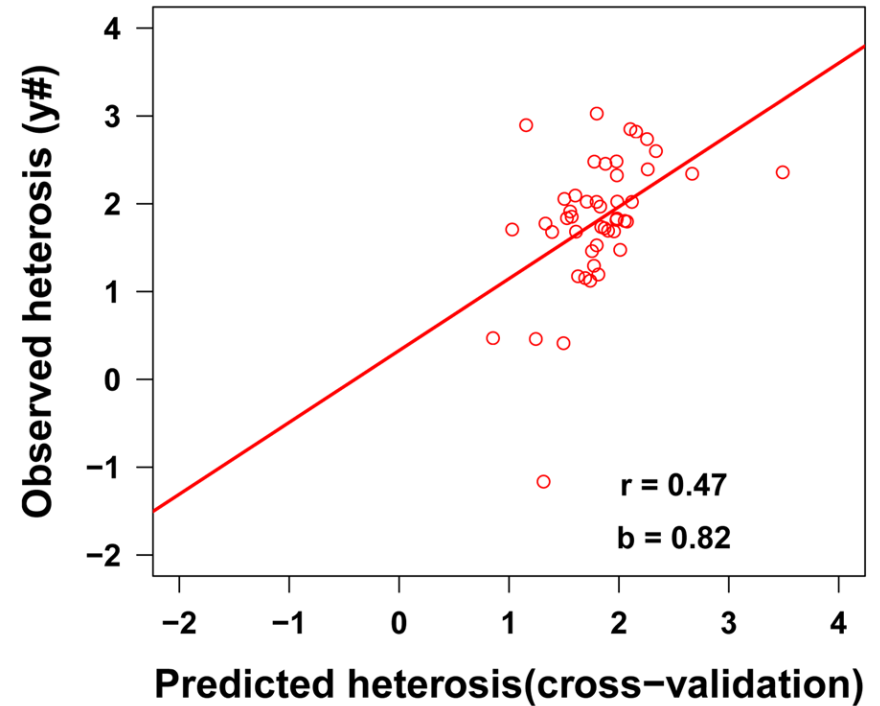
- Egg number: 5.2 – 11.7 eggs
- Egg weight: 1.1 – 2.5g

Cross validation

(a) Egg number



(b) Egg weight



Heterosis prediction

- SDAF predicts heterosis in egg traits with an accuracy of ~ 0.5
- SDAF did not predict heterosis in survival days
 - limited variation in survival days

Benefits of predicting heterosis

■ Two-step selection

1. Select a subset of crosses based on predicted heterosis
2. Field-test only selected crosses

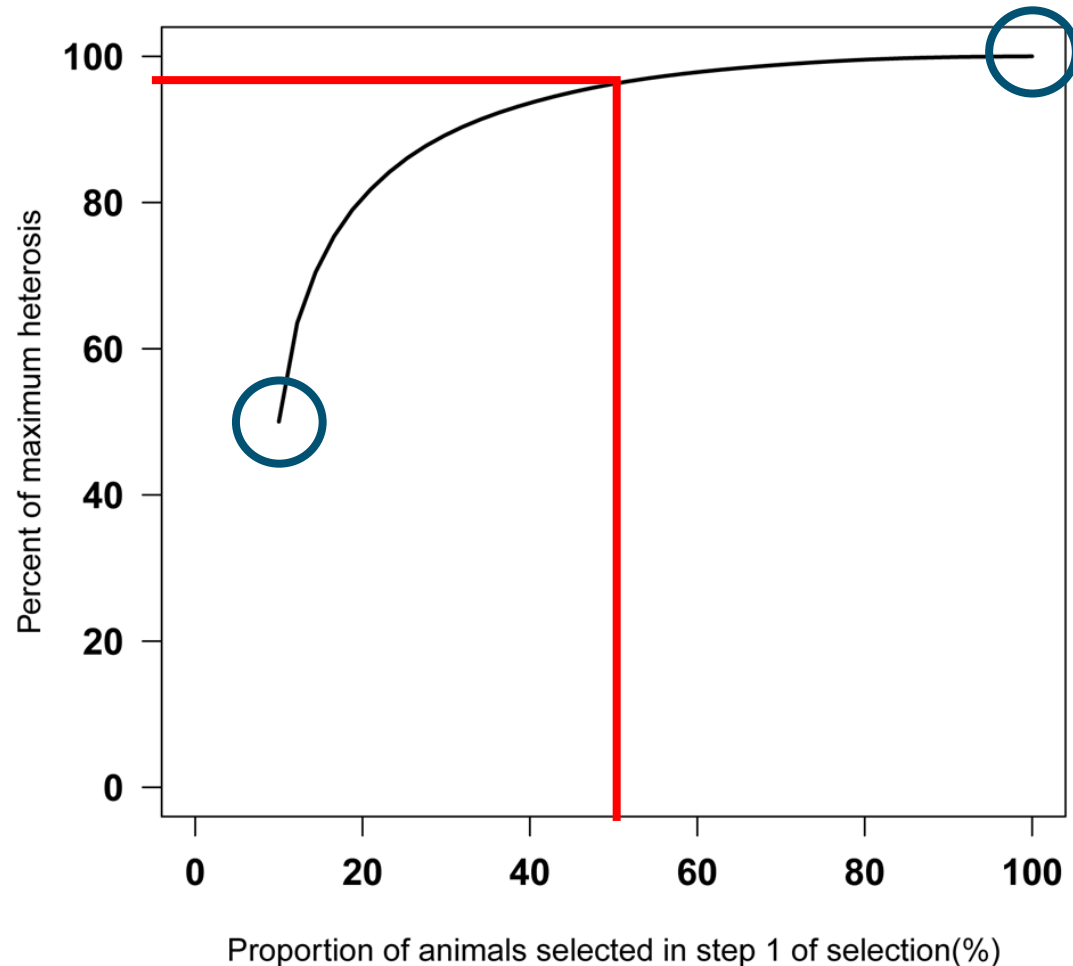
Benefits of predicting heterosis

- Two-step selection:

$$\rho_{\text{pred heterosis}} = 0.5$$

Final selected prop = 10%


96% of total heterosis



Observed heterosis

- Crossbred phenotypes corrected for sire-line, dam-line and systematic effects

$$y_{ijklm} = \mu + \text{sire-line}_i + \text{dam-line}_j + \beta \cdot \text{SDAF}_{ij} + \dots + e_{ijklm}$$



$\text{sire-}\hat{\text{line}}_i \quad \text{dam-}\hat{\text{line}}_j = \text{pure-line means}$

- SDAF partitions crossbred phenotypes into pure line means and heterosis

Conclusions

- The squared difference in allele frequency predicts heterosis ($\rho = \sim 0.5$)
- Reduce field tests by 50% with only 4% loss in heterosis
- Heterosis can be predicted even without pure-line phenotypes

Thankyou



- The squared difference in allele frequency predicts heterosis
- Reduce field tests by 50% with only 4% loss in heterosis
- Heterosis can be predicted even without pure-line phenotypes

See Amuzu-Aweh et al 2013 (*Heredity*, in press)

Observed heterosis

- Crossbred phenotypes corrected for sire-line, dam-line and systematic effects

$$y_{ijklm} = \mu + \text{sire-line}_i + \text{dam-line}_j + \beta \cdot \text{SDAF}_{ij} + \dots + e_{ijklm}$$

$$y^{\#}_{ijklm} = y_{ijklm} - \hat{\mu} - \hat{\text{sire-line}}_i - \hat{\text{dam-line}}_j - \dots$$

$$\text{Observed heterosis}_{\text{trait},ij} = \bar{y}^{\#}_{\text{trait},ij}$$

Done for each cross independently