

# Genetic evaluation of mastitis liability and recovery through longitudinal models of somatic cell count

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# Introduction

- Mastitis is most frequent and costly diseases.
- Genetic evaluation is performed either with cross sectional or longitudinal methods<sup>1</sup>.
- Cross-sectional methods are the most commonly used.
- In cross-sectional methods lactations are considered as a static process.

# Introduction

- Longitudinal methods enable us to model changes throughout a lactation:
  - ▶ Getting infected
  - ▶ Recovery after infection
- SCC (Somatic Cell Count) is used as a proxy to label clinical mastitis.

# Objective

Develop better longitudinal models that capture as much genetic information as possible in both directions of the disease.

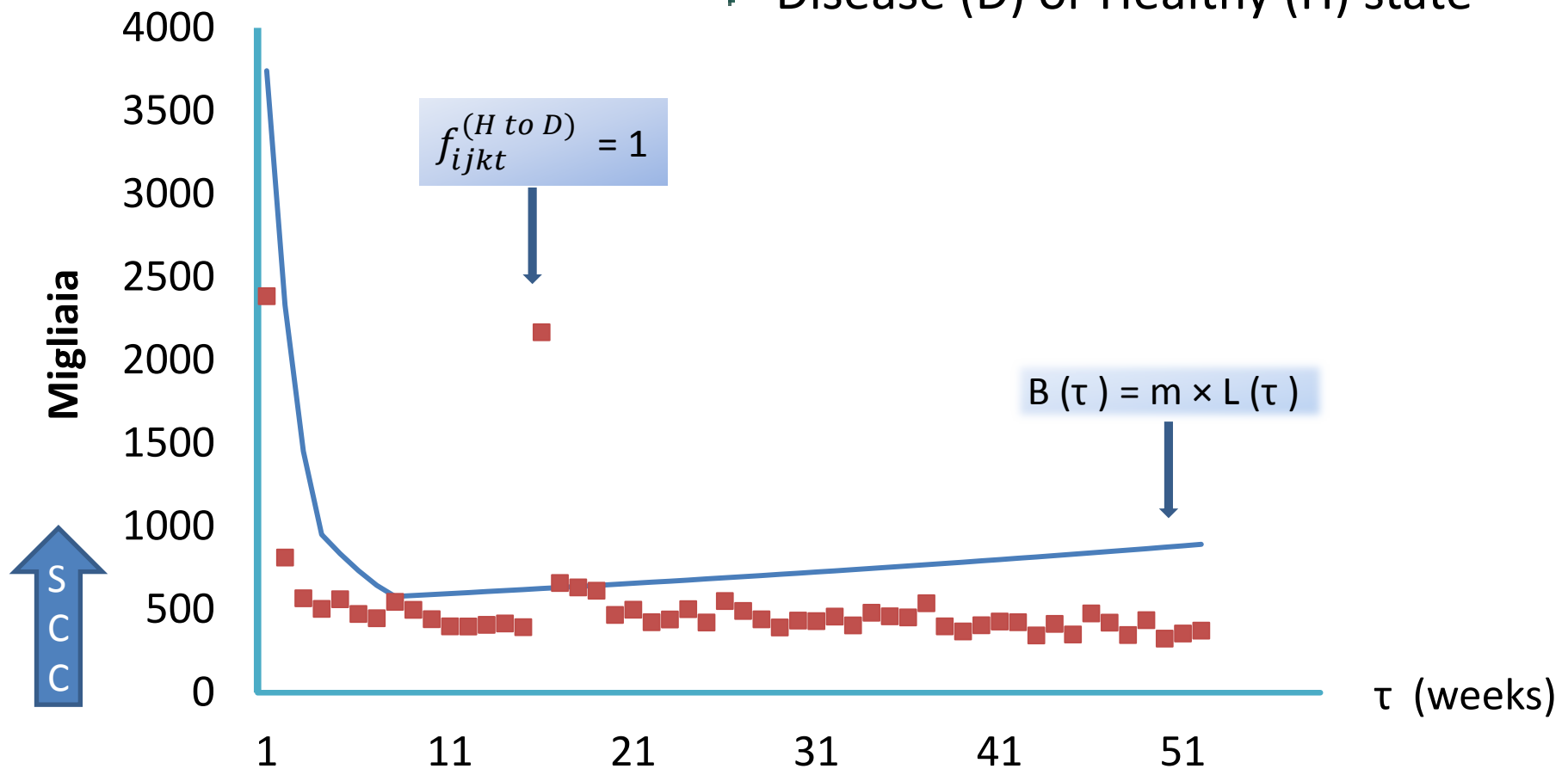
# Material and Methods

- Data with five dairy traits were generated in Fortran.
  - ▶ SCC and TBV for mastitis liability and recovery
- Two population sizes:
  - ▶ 24 000 and 60 000 first-parity cows from 1200 herds
  - ▶ 400 unrelated sires (60 or 150 daughter/sire)
- 28% and 95% mastitis incidence rates per lactation
- Genetic correlations between infection and recovery:
  - ▶  $r_g = 0.00$ .  $r_g = 0.02$ .  $r_g = -0.02$
- Designed to generate a representative of the real life dairy population and alternative herd structure<sup>1</sup>.

# Data Creation

- Binary data {0, 1} were created to define:

- Disease (D) or Healthy (H) state



# Transition probability model

- Possibilities of mastitis contract and recovery model

- ▶  $T_i = \begin{bmatrix} \pi^{(H \text{ to } D)} & 1 - \pi^{(H \text{ to } D)} \\ 1 - \pi^{(D \text{ to } H)} & \pi^{(D \text{ to } H)} \end{bmatrix}$

- ▶  $T_i$  = transition probabilities for individual  $i$  going from a healthy (H) to a disease (D) state or the other way.

- A desired structure of the transition matrix is

- ▶ High values of  $\pi^{(H \text{ to } H)}$  and  $\pi^{(D \text{ to } H)}$

- ▶ Low values  $\pi^{(H \text{ to } D)}$  and  $\pi^{(D \text{ to } D)}$

# Statistical Model

- The transition probability of getting infected:

- ▶  $f_{ijkt}^{(H \text{ to } D)} \sim \text{Ber}(\pi^{(H \text{ to } D)}_{ijk})$  and

- ▶  $\text{Probit}(\pi^{(H \text{ to } D)}_{ijk}) = \beta^{(H \text{ to } D)} + s_j^{(H \text{ to } D)} + h_k^{(H \text{ to } D)} + e_{ijk}^{(H \text{ to } D)}$

- ▶  $f_{ijkt}^{(H \text{ to } D)} = 1$  if a transition in time interval  $t$ . otherwise = 0.

- ▶  $\beta$  = liability of mastitis during period  $i$  for an average cow

- ▶  $h_j$  = fixed herd effect ;  $s_k$  = random sire effect

- ▶  $e_{ijkl}$  = random residual effect for a cow

- The transition probability of recovery  $\pi^{(D \text{ to } H)}_{ijk}$  :

- ▶  $f_{ijkt}^{(D \text{ to } H)} \sim \text{Ber}(\pi^{(D \text{ to } H)}_{ijk})$  and

- ▶  $\text{probit}(\pi^{(D \text{ to } H)}_{ijk}) = \beta^{(D \text{ to } H)} + s_j^{(D \text{ to } H)} + h_k^{(D \text{ to } H)} + e_{ijk}^{(D \text{ to } H)}$



# Statistical Analysis

- Breeding values were estimated.
- RJMC<sup>1</sup> package in DMU
  - ▶ single trait genetic analysis
- MCMCglmm<sup>2</sup> package in R
  - ▶ multitrait genetics analysis.
- Correlations between TBV and EBV were calculated as the reliability of estimates.

# Results and Discussion

- More reliable estimates in the HD direction

Cases per lactation	Scenario 1 ( 28%)		Scenario 2 ( 95%)	
Transition direction	HD	DH	HD	DH
$r_g = 0$	<b>0.73</b>	<b>0.40</b>	<b>0.81</b>	<b>0.61</b>
$r_g = 0.2$	<b>0.72</b>	<b>0.37</b>	<b>0.82</b>	<b>0.62</b>
$r_g = -0.2$	<b>0.71</b>	<b>0.56</b>	<b>0.82</b>	<b>0.59</b>

- So far: single-trait analysis, ignoring genetic correlation between contracting and recovery.

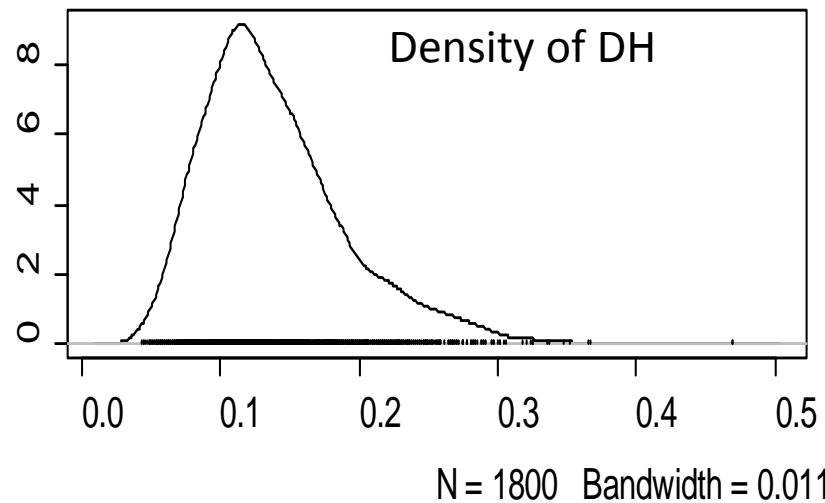
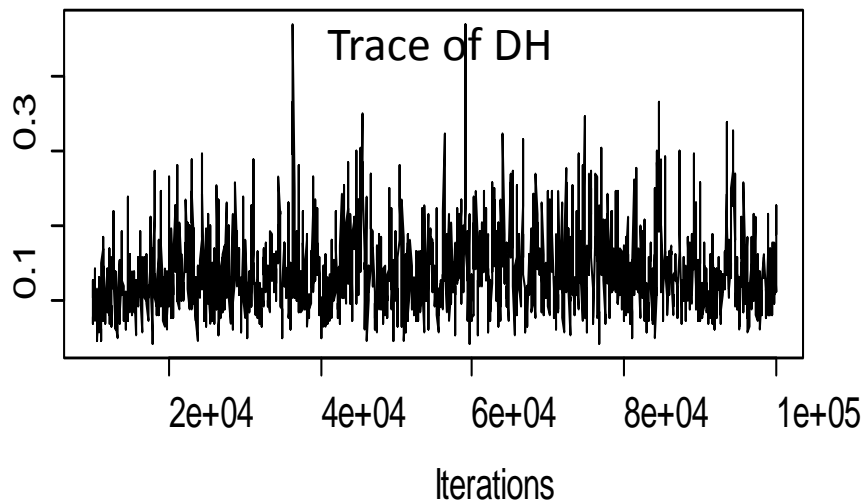
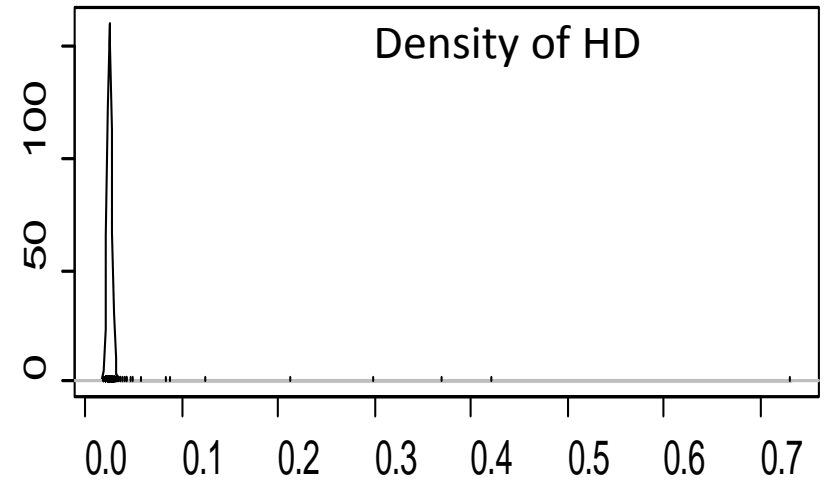
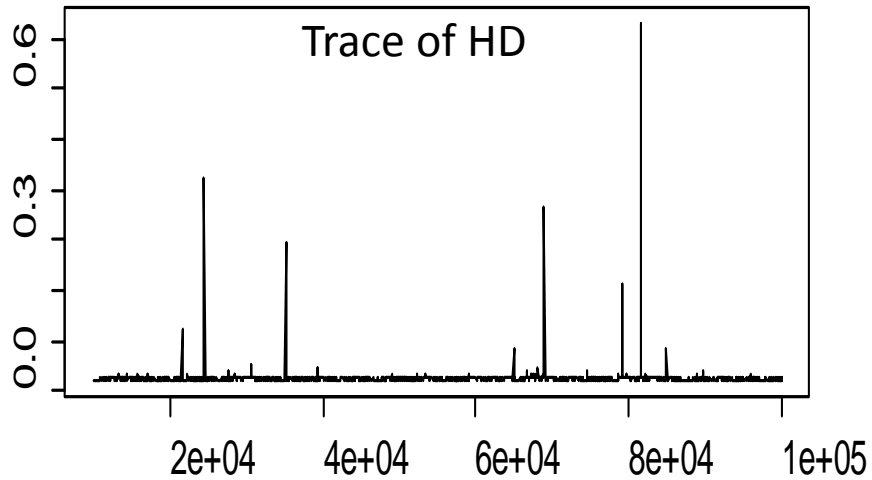
# Results and Discussion

- Estimates from the MCMCglmm analysis

Direction	rTBV,EBV	$h^2$	correlation
HD	0.543	0.191	0.119
DH	0.240	0.001	

- Bivariate model considering both traits at the same time enable us to calculate the possible genetic correlation between the traits.

# MCMC trace plots



# Conclusions

- Selection accuracy as good as the estimations based on clinical mastitis for the HD direction.
- The transition probability model enables us to generate breeding values for DH direction.
- An option to include the whole disease course in the genetic evaluation of udder health.

