



# EBV trend validation for survival traits from a linear nine-trait model in German dairy cattle

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- Challenges of survival data
  - Censoring
  - Strictly conditional data structure
- Advantages of linear models for genetic evaluation of survival traits
  - Low computational requirements (compared to survival analysis or threshold models)
  - Easy implementation of multiple trait models (e.g. Boettcher et al. 1999, Sewalem et al. 2007, Holtsmark et al. 2009)
- Previous analyses on national data show plausible genetic structure for survival of different lactation periods (Wiebelitz et al. 2014)
- Trend validation necessary for international evaluations (INTERBULL 2014)
- Aim: Trend validation of a linear multiple trait model





Full data set

- Excerpt from data for national genetic routine evaluation for longevity
  - 7,901,517 cows
  - 93,786 sires
  - 19,333 herds
- Editing
  - $2000 \le \text{year of calving} \le 2013$
  - $500 \le age \text{ of first calving} \le 1500 \text{ days}$
  - Only cows with all records from 1<sup>st</sup> lactation to last known lactation
- Truncated data set
  - Subset of full data set
  - Year of truncation: 2009



**Methods** 

Trend validation (mod. Boichard et al. 1995: **INTERBULL** Method III)

- Estimation of breeding values
  - Full data
  - Truncated data
- Trend validation

 $\mathbf{v} = \mathbf{1}\mathbf{a} + \mathbf{u}\mathbf{b} + \mathbf{t}\delta + \mathbf{e}$ 

- Vector of sire EBV from estimation in full, partial data set **v**, u:
- Intercept **a**:

Vector of residual effects **e**:

δ: Coefficient for the bias term; should not exceed 2% of  $\sigma_a$ 

$$t_i = \sum_{j=2006}^{2013} \left( \frac{v_{ij}}{N_i} (j - j_0) \right)$$

- additional number of daughters for sire *i* in year *j*  $v_{ii}$ :
- total number of daughters on the complete data set  $N_i$ :
- average year of calving for daughters on the partial data set  $j_0$ :





- Survival (1000/0) of a period
- Missing, if animal had no chance to show survival of a period (i.e. culled or censored before)
- 70 days delay for accepting of phenotypes

Lact.	Days	Abbr.	Lact.	Days	Abbr.	Lact.	Days	Abbr.
1	0-49	B1.1	2	0-49	B2.1	3	0-49	B3.1
1	50-249	B1.2	2	50-249	B2.2	3	50-249	B3.2
1	250-n. calv.	B1.3	2	250-n. calv.	B2.3	3	250-n. calv.	B3.3





 $\mathbf{y} = \mathbf{X}\mathbf{b} + \mathbf{Z}\mathbf{s} + \mathbf{e}$ 

- y: Vector of observations (1000/0)
- X: Incidence matrix for fixed effects (Herd\*year)
- **b**: Vector of fixed effects
- **Z**: Design matrix for random genetic effects
- s: Vector of random sire effects ( $s \sim N(0, G_0 \otimes A)$ ;  $G_0$ : genetic covariance matrix; A: numerator relationship matrix for sires)
- e: Vector of random residual effects:  $e \sim N(0, R_0 \otimes I)$ ;  $R_0$ : residual covariance matrix



## Genetic parameters

**Methods** 





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Period	$\widehat{oldsymbol{\delta}}$		$\widehat{\delta}$ / $\sigma_{a}$ (%)
B1.1	0.215	***	0.97
B1.2	0.451	***	0.96
B1.3	0.000		0.00
B2.1	0.466	***	1.19
B2.2	0.616	***	1.07
B2.3	0.363		0.62
B3.1	0.715	***	1.11
B3.2	0.459	*	0.66
B3.3	-0.341		-0.51

 $\mathbf{v} = \mathbf{1}\mathbf{a} + \mathbf{u}\mathbf{b} + \mathbf{t}\delta + \mathbf{e}$ 

 $t_i = \sum_{j=2006}^{2013} \left( \frac{v_{ij}}{N_i} (j - j_0) \right)$ 





- Bias of EBV for individual survival traits are below allowed limit of INTERBULL (2014)
- Applied method does not account for information from correlated traits

#### Further research

- Trend validation for index
- Trend validation based on effective daughter contribution (EDC)
- Validation compared to existing routine genetic evaluation for longevity







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- Holtsmark, M., Heringstad, B., Ødegård, J. (2009): Predictive Abilities of different statistical models for analysis of survival data in dairy cattle. *J Dairy Sci* **92**: 5730-5738.
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- Sewalem, A., Miglior, F., Kistemaker, G.J., Sullivan, P., Huapaya, G., Van Doormal, B.J.
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#### Example:

Calving	Year
1	2007
2	2009
3	2010

Period	Year of 1 <sup>st</sup> calving	partial data	full data
B1.1	2007	yes	yes
B2.1	2007	yes	yes
B3.1	2007	no	yes



### **Appendix: Results and Discussion**

Trend validation; years of first calving 2010 - 2013



Period	$\widehat{oldsymbol{\delta}}$		$\widehat{\delta}$ / $\sigma_{a}$ (%)
B1.1	0.224	**	1.01
B1.2	0.688	***	1.47
B1.3	0.821	**	1.68
B2.1	0.835	***	2.13
B2.2	1.753	***	3.04
B2.3	2.495	***	4.26
B3.1	2.488	***	3.85
B3.2	3.650	***	5.25
B3.3	4.966	***	7.39

 $\mathbf{v} = \mathbf{1}\mathbf{a} + \mathbf{u}\mathbf{b} + \mathbf{t}\delta + \mathbf{e}$ 

 $t_i = \sum_{j} \left( \frac{v_{ij}}{N_i} (j - j_0) \right)$