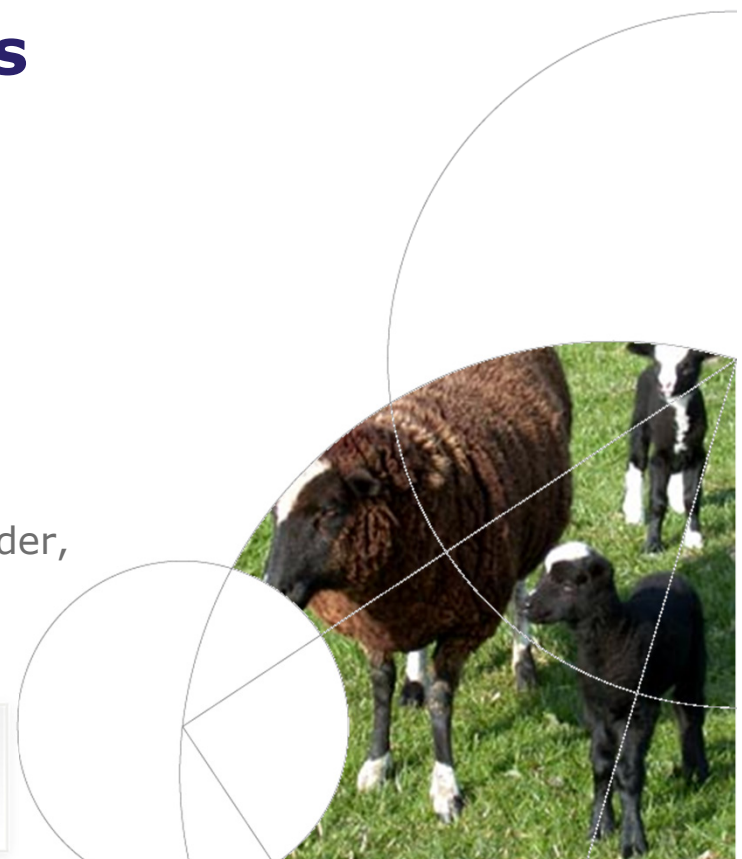




# Relationship between intake of metabolizable energy and chewing index of diets fed to pregnant ewes

Presenting author: Mette Vestergaard-Nielsen

Co-authors: Elisabet Nadeau, Bo Markussen, C. Helander,  
M. Eknæs, Å. Randby, P. Nørgaard





## Introduction

- Feed intake, especially the last 4-6 weeks of pregnancy, are important for ewe and lambs
- Nutrition during late pregnancy affects
  - ewe colostrum production and BCS (Robinson et al. 1999)
  - lamb birth weight (Dwyer et al 2003)
  - lamb survival (Holst et al. 1986)
  - lamb carcass composition (Daniel et al 2007)
- Feed intake models can help predict feed requirements and intake



## Introduction

- Nørgaard and Mølbak (2001) linear model describing net energy intake as a function of the ration chewing index (CI) in Scandinavian cattle
- The model was valid for very different types of production, and could possibly be modified to fit ewes in the last 4 weeks before parturition



## Nørgaard and Mølbak 2001

- $NEI = \text{intercept} - \text{slope} \cdot CI$
- The model is empirical based on a meta-analysis
- The intercept was interpreted as the theoretical maximum intake capacity for cattle
- The slope represents decrease in energy intake with increasing CI of the ration
- There was direct proportionality between slope and squared intercept  
 $\text{slope} = k \cdot \text{Intercept}^2$



## Objective

- To study the relationship between metabolizable energy (ME) intake and the chewing index (CI) of the rations for pregnant ewes
- To study proportionality between the slopes and squared intercepts



## Data

- Feeding experiments: 4 from Skara, Sweden, 1 from Ås, Norway.
- 107 ewes, the last 4 weeks before parturition
- A total of 14 dietary treatments
- Restricted concentrate allocation (0-0.8 kg), and *ad lib* silage
  - 2 experiments included 1 treatment with TMR



## Estimation of CI and ME

- Estimation of CI according to the NorFor method (Nørgaard et al. 2011)
- The NorFor CI corrected (Nørgaard et al. 2011)
  - For BW: 625/BW
  - Intake of forage NDF: deviations from 0.7 kg NDF in % of BW
- Estimation of ME content of the feeds
  - Forage: *in vitro* digestibility (VOS) (Lindgren 1979, 1983, 1988).
  - Concentrates: according to Axelsson (1941 )
  - 1 experiment: *in vivo* digestibility, for concentrate and forage (Van Es 1978)



## Data collected

- Mean DMI, BW and MEI of the ewes

DMI (kg DM/day)		MEI (MJ/day)		BW (kg)	
mean	SD	mean	SD	mean	SD
2.5	0.41	29	5.3	100	11.0

- Mean forage characteristics and chewing index of the rations

	Forage characteristics per kg DM						Ration CI <sub>cor</sub>	
	ME <sub>f</sub> , MJ		NDF <sub>f</sub> , g		CP <sub>f</sub> , g		CI <sub>cor</sub> (min/MJ ME)	
Rations	mean	SD	mean	SD	mean	SD	mean	SD
		11.3	1.01	500	57.6	159	27.4	27.2





## Mathematical method

$$MEI_{i(j)} = \text{intercept}_j + \mathbf{b}_j * CI_{i(j)} + \varepsilon_{i(j)} \quad (\text{Equation 1})$$

Where  $MEI_{i(j)}$  is the metabolizable energy intake (MJ ME/day) of the individual ewe ( $i$ ) in week within experiment ( $j$ ),  $\text{intercept}_j$  is the intercept (MJ ME/day) of week within experiment ( $j$ ),  $\mathbf{b}_j$  is the slope ((MJ ME/day)<sup>2</sup>/(min/day)) of week within experiment ( $j$ ),  $CI_{i(j)}$  is the chewing index (min/MJ ME) from the individual ewe ( $i$ ) in week within experiment ( $j$ ), and  $\varepsilon_{i(j)}$  is the error of the regression of the individual ewe ( $i$ ) in week within experiment ( $j$ ).

$$\mathbf{b}_j = q + k * \text{intercept}_j^2 + \varepsilon_j \quad (\text{Equation 2})$$

Where  $\mathbf{b}_j$  is the slope of week within experiment ( $j$ ),  $\text{intercept}_j^2$  is the squared intercept of week within experiment ( $j$ ), and  $\varepsilon_j$  is the error of the regression in week within experiment  $j$ ,  $q$  is the possible intercept and  $k$  is the slope of the linear function.

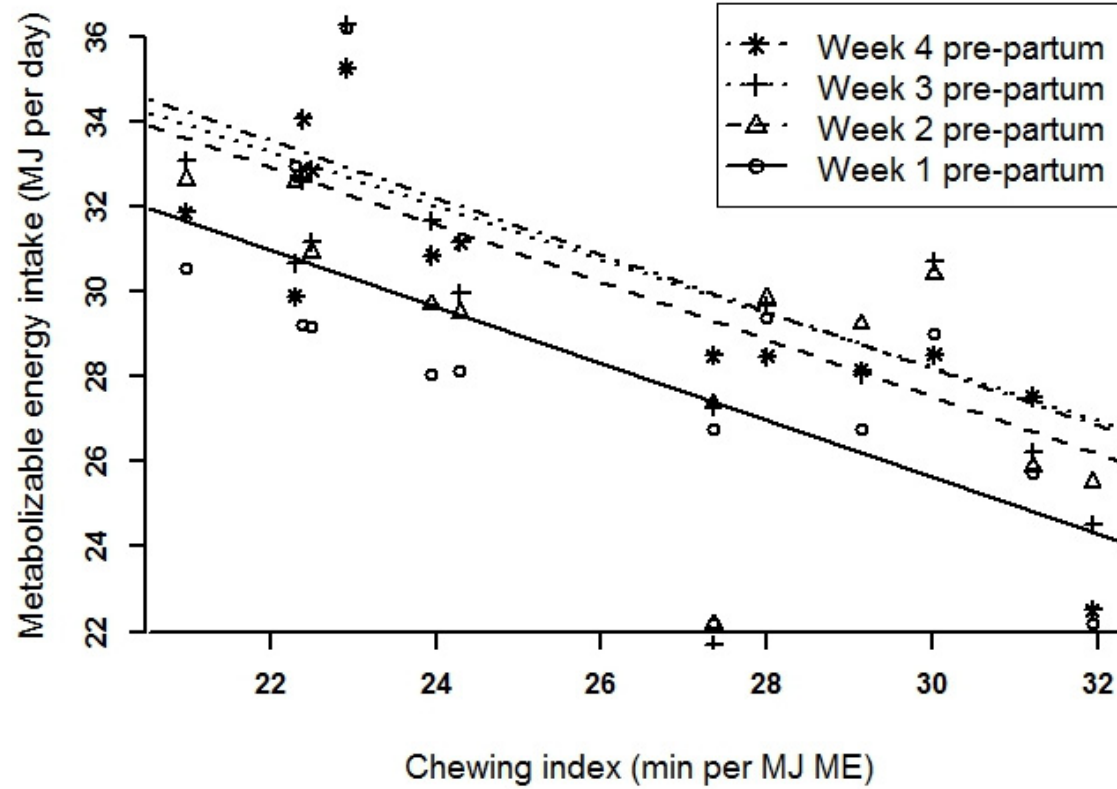


## Statistical Method

- Linear mixed effects modelling with random effect of week within experiment
  - Effect of model variables: Wald test
  - Random variation effect on slope and intercept: Likelihood ratio test
  - Linearity of the model: standardized residual-plot, qq-plot
- How well the models fit to data:  $R^2$
- Direct proportionality using linear regression: Wald test



# Visualization





## Results

- Intercept and slope of the linear regression  $MEI = \text{Intercept} + b \cdot CI$  for pregnant ewes.

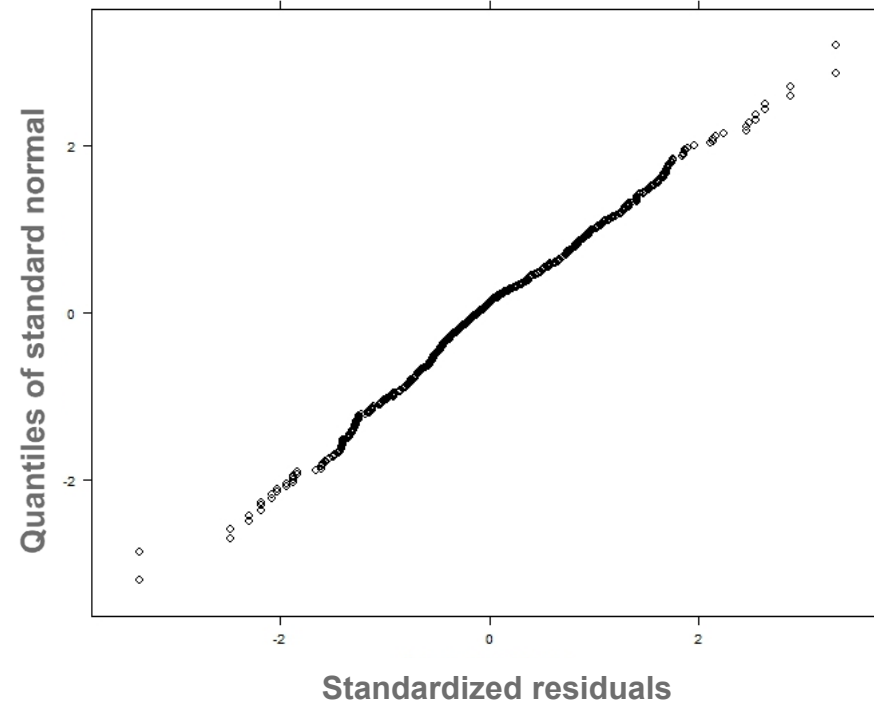
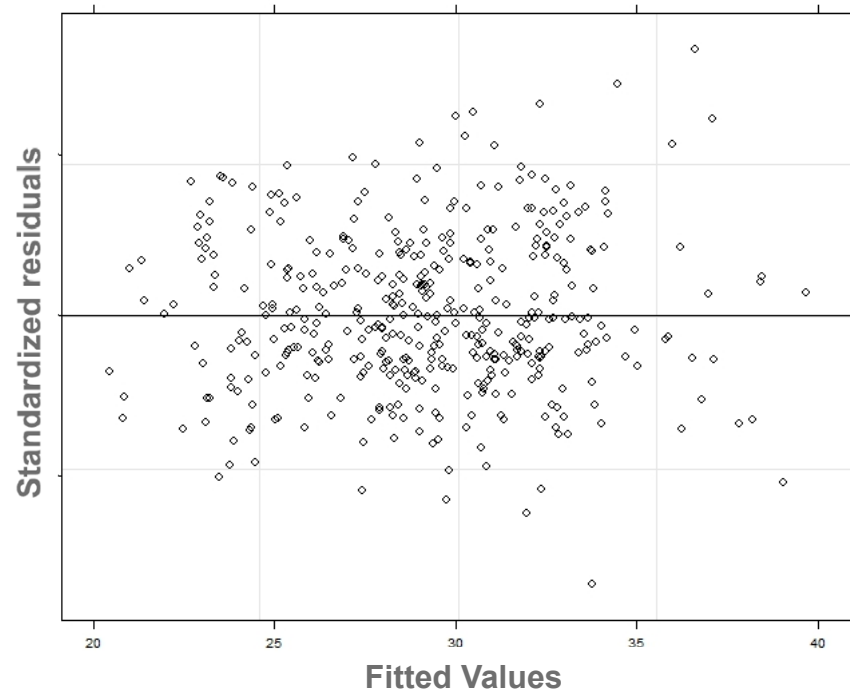
Parameters	Estimates	SE	P-value
<b>Intercept</b> (MJ ME/day)	<b>43</b>	<b>3.99</b>	<b>&lt;0.001</b>
<b>b</b> ((MJ ME/day) <sup>2</sup> /(min/day))	<b>-0.52</b>	<b>0.12</b>	<b>&lt;0.001</b>

- There were significant effects of **week** before parturition and **experiment** on both intercept and slope



## Results

- Evaluation plots of  $MEI = \text{Intercept} + b \cdot CI$  pregnant ewes.

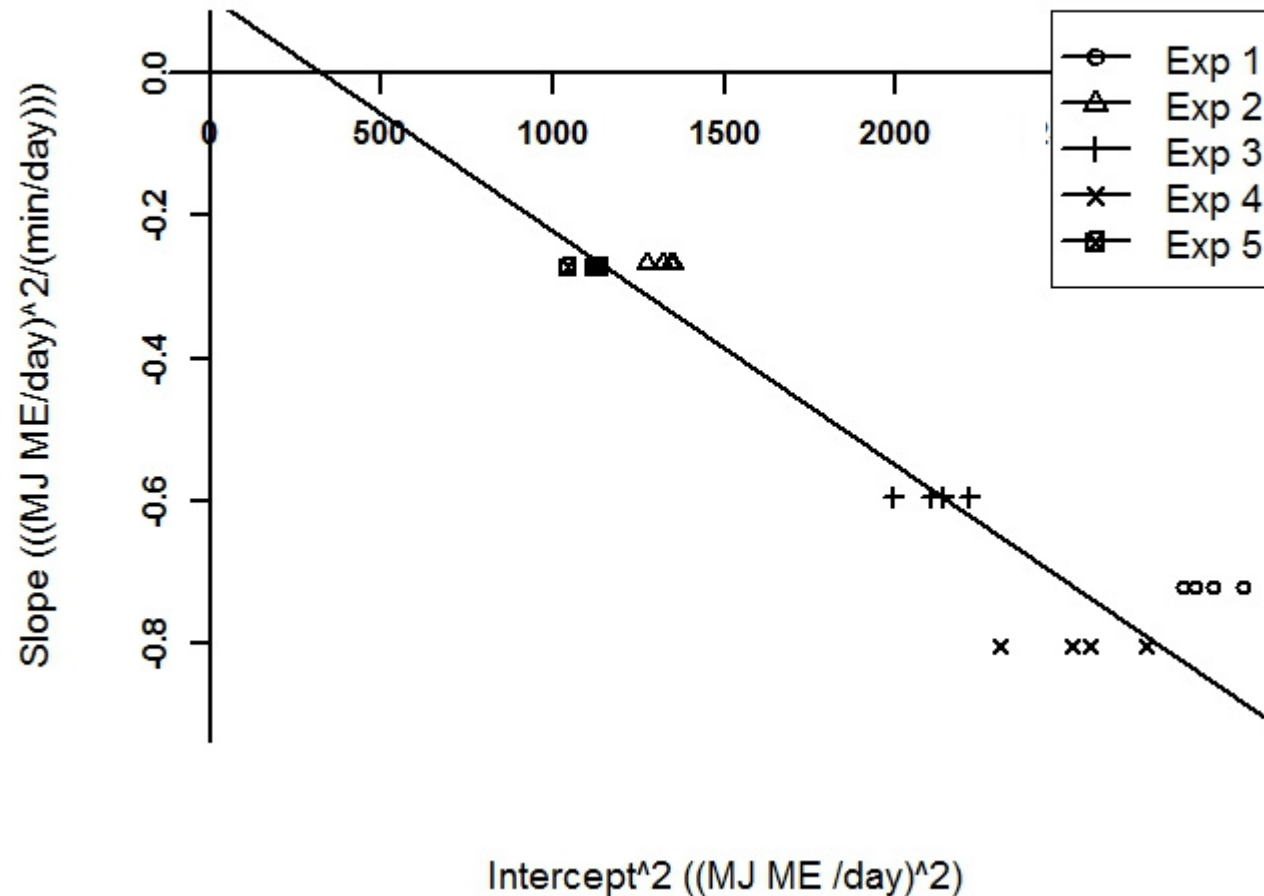


- $R^2: 0.51$



## Results

- Direct proportionality using linear regression
- P-value for this intercept: 0.17





## Conclusion

- ME intake of pregnant ewes during the last four weeks of pregnancy decreases linearly at increasing dietary chewing index.
- The slope values appear proportional with the squared intercepts values.
- The model proposed could be relevant also for pregnant sheep.
- However, the potential prediction power of the model was low and the model needs further improvements.







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Dias 16







## Research questions

- Can ME intake of similar groups of nursing ewe fed different types of forage be described as a linear function of the CI of the ration?
- Does the estimated slope from different experiments vary from each other?
- Do the estimated intercept from different experiments vary from each other?
- Is there a pattern in the distribution of residuals so the model has to be rejected?
- Can the estimated slope values from different experiments be related to the squared intercept as negatively proportional?
- Is the intake most likely regulated by metabolically and physical constrain **EN9** most only likely only physical constraint? Try to estimate if the maximal  $CI < 2 * CT_{max} / NE_0$ , and if the  $NE > \frac{1}{2} NE_0$
- How well does the model fit the data ( $r^2$ )?

## Dias nummer 17

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**EN9** ....constraints or most likely only by physical constraint?

How are you going to use these questions?

Elisabet Nadeau, 08/06/2014