



# Structured antedependence model for longitudinal analysis of social effects on ADG in rabbits

I. David, J.P. Sánchez, M. Piles

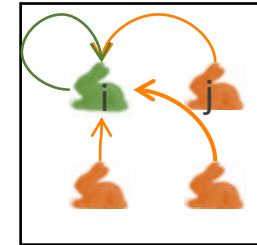




## Background

- For animal welfare, group housing is recommended in many species
  - Social genetic effects (SGE) may affect phenotypes of interest

$$\text{Phenotype}_i = \text{direct effects}_i + \sum_{j=1}^3 \text{indirect effects}_j$$



- SGEs may vary over time
  - In group housing conditions, aggressive behavior is generally stronger at mixing and tends to decrease with time
- Few genetic studies have investigated the changes of SGE over time for traits under selection in livestock species.



## Goal

- ▶ Propose an appropriate model to evaluate changes of SGE (and DGE) over time
- ▶ Apply this model to study longitudinal ADG in rabbits
- ▶ *Evaluate if it is necessary to account for that phenomenon for selection.*



## The model

- For animal  $i$ , in group  $m$  with co-mate  $\epsilon \in K_i$  at time  $t_j$

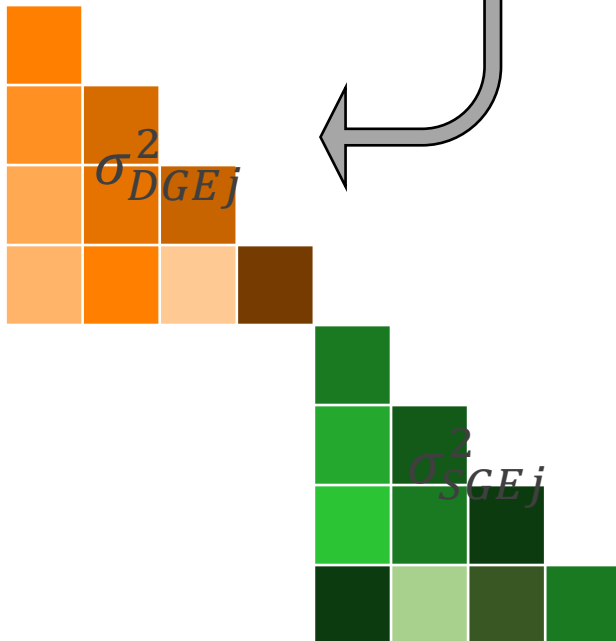
$$y_{im}(t_j) = \mu_i(t_j) + DGE_i(t_j) + \sum_{k \in K_i} SGE_k(t_j) + g_m(t_j) + \epsilon_i(t_j)$$



## The problem

- For animal  $i$ , in group  $m$  with co-mate  $\epsilon \in K_i$  at time  $t_j$

$$y_{im}(t_j) = \mu_i(t_j) + DGE_i(t_j) + \sum_{k \in K_i} SGE_k(t_j) + g_m(t_j) + \varepsilon_i(t_j)$$

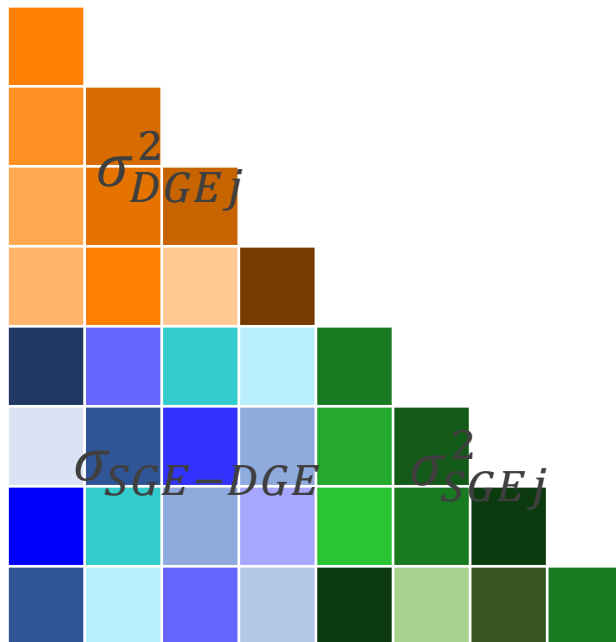




## The problem

- For animal  $i$ , in group  $m$  with co-mate  $\epsilon \in K_i$  at time  $t_j$

$$y_{im}(t_j) = \mu_i(t_j) + DGE_i(t_j) + \sum_{k \in K_i} SGE_k(t_j) + g_m(t_j) + \varepsilon_i(t_j)$$



- For  $n$  time-points

→  $\frac{2n(2n+1)}{2}$  genetic parameters

→  $\frac{n(n+1)}{2}$  parameters other random effects



Large number of parameters



## The problem

- ▶ For animal  $i$ , in group  $m$  with co-mate  $\in K_i$  at time  $t_j$

$$y_{im}(t_j) = \mu_i(t_j) + DGE_i(t_j) + \sum_{k \in K_i} SGE_k(t_j) + g_m(t_j) + \varepsilon_i(t_j)$$

- ▶ US → too many parameters



- ▶ Character process
- ▶ Random regression



## The problem

- ▶ For animal  $i$ , in group  $m$  with co-mate  $\epsilon K_i$  at time  $t_j$

$$y_{im}(t_j) = \mu_i(t_j) + DGE_i(t_j) + \sum_{k \in K_i} SGE_k(t_j) + g_m(t_j) + \varepsilon_i(t_j)$$

- ▶ US → too many parameters



- ▶ ~~Character process~~
- ▶ ~~Random regression~~
- ▶ Structured antedependence model





# Structured antedependence model

- ▶ model an observation at time  $t$  by regression on the preceding observations.

$$g_i(t_j) = \sum_{s=1}^{\alpha} \theta_{s,j} g_i(t_{j-s}) + e_{g,i}(t_j)$$

$$\theta_{s,j} = a_s + b_s t_j + \dots$$

$$e_{g,i}(w_j) \sim N(0, \sigma_j^2)$$

$$\sigma_j^2 = \exp(a + b t_j + \dots)$$

- ▶ OWN fortran program for ASReml
- ▶ Selection order antedependence and degree polynomial function using LRT



# Structured antedependence model

- model an observation at time  $t$  by regression on the preceding observations.

$$g_i(w_j) = \sum_{s=1}^{\alpha} \theta_{s,j} g_i(w_{j-s}) + e_{g,i}(w_j)$$

$$\theta_{s,j} = a_s + b_s t + \dots$$

$$e_{g,i}(w_j) \sim N(0, \sigma_j^2)$$

$$\sigma_j^2 = \exp(a + bt + \dots)$$

$$SGE_i(w_j) = \sum_{s=1}^{\alpha'} \theta'_{sj} SGE_i(w_{j-s}) + e_{SGE,i}(w_j)$$

$$DGE_i(w_j) = \sum_{s=1}^{\alpha} \theta_{sj} DGE_i(w_{j-s}) + \delta_j SGE_i(w_j) + e_{DGE,i}(w_j)$$

- extension of the SAD approach to the correlated-effects case is straightforward



## Evaluate changes of SGE (and DGE) over time for ADG in rabbit

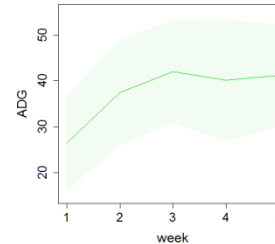
# Data application

### IRTA experiment

3,096 , pen of 8, restricted feeding (75%)

weighed at weekly intervals over a 5-week period

5 ADG/ animal



$$ADG_{ilm}(t_j) = \mu_i(t_j) + DGE_i(t_j) + \sum_{k \in K_i} SGE_k(t_j) + g_m(t_j) + l_l(t_j) + \varepsilon_i(t_j)$$

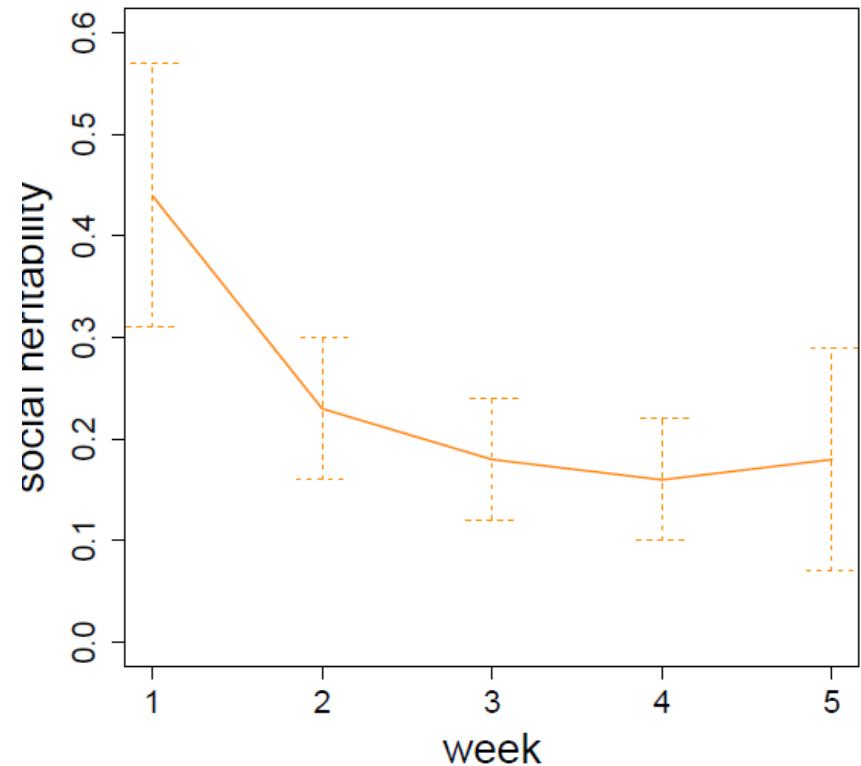
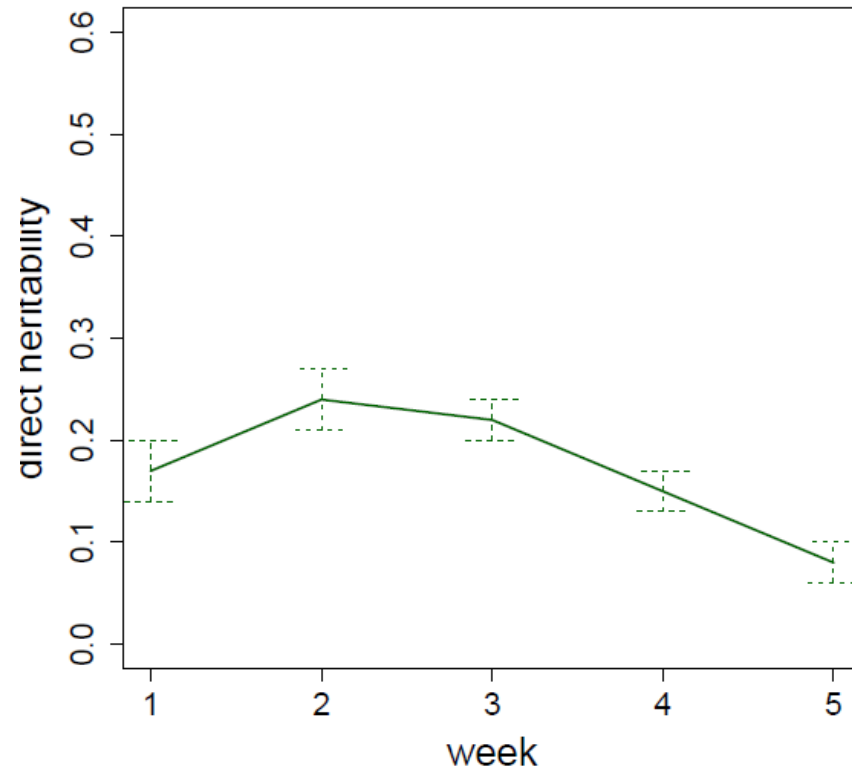
SAD: 22 parameters instead of 100



Evaluate changes of SGE (and DGE) over time for ADG in rabbit

## Result

### heritabilities

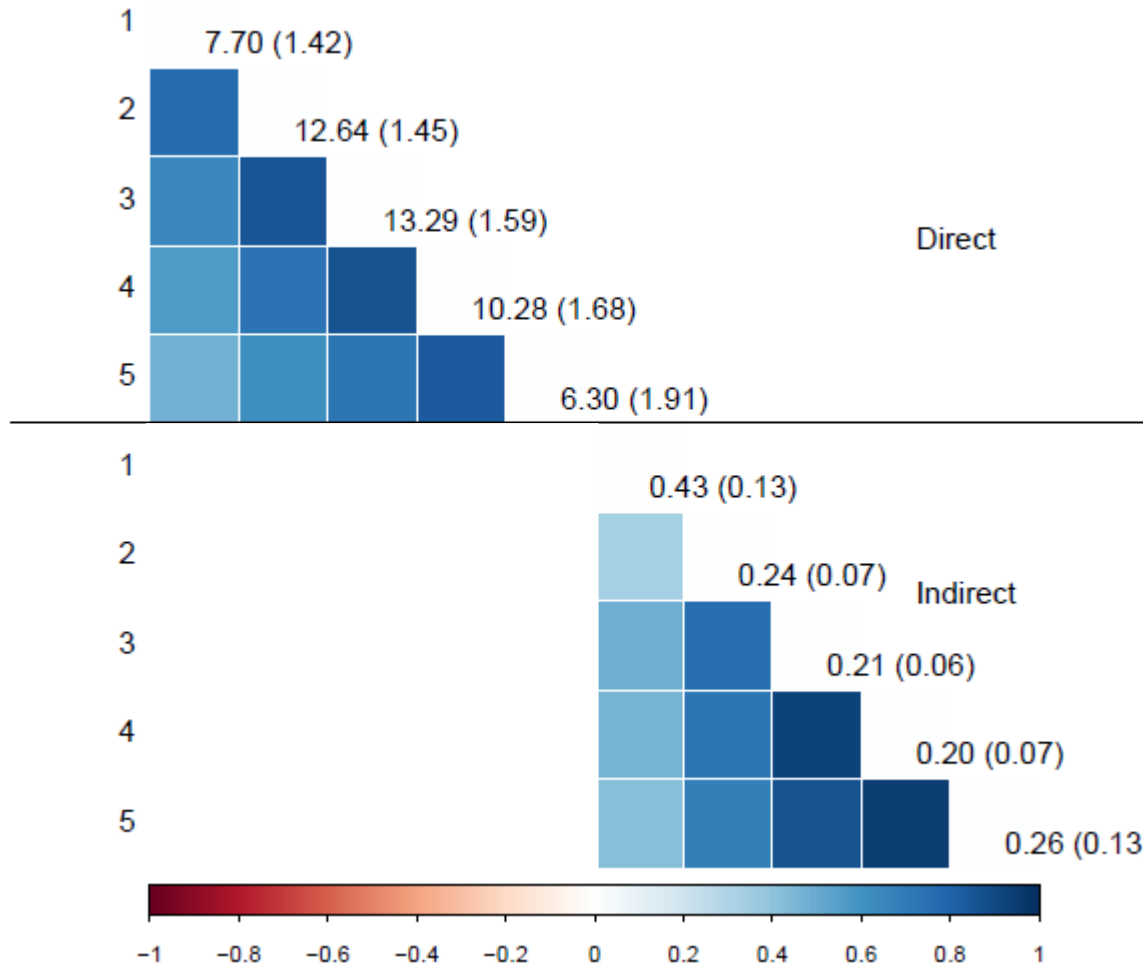


First week : higher social  $h^2$



Evaluate changes of SGE (and DGE) over time for ADG in rabbit

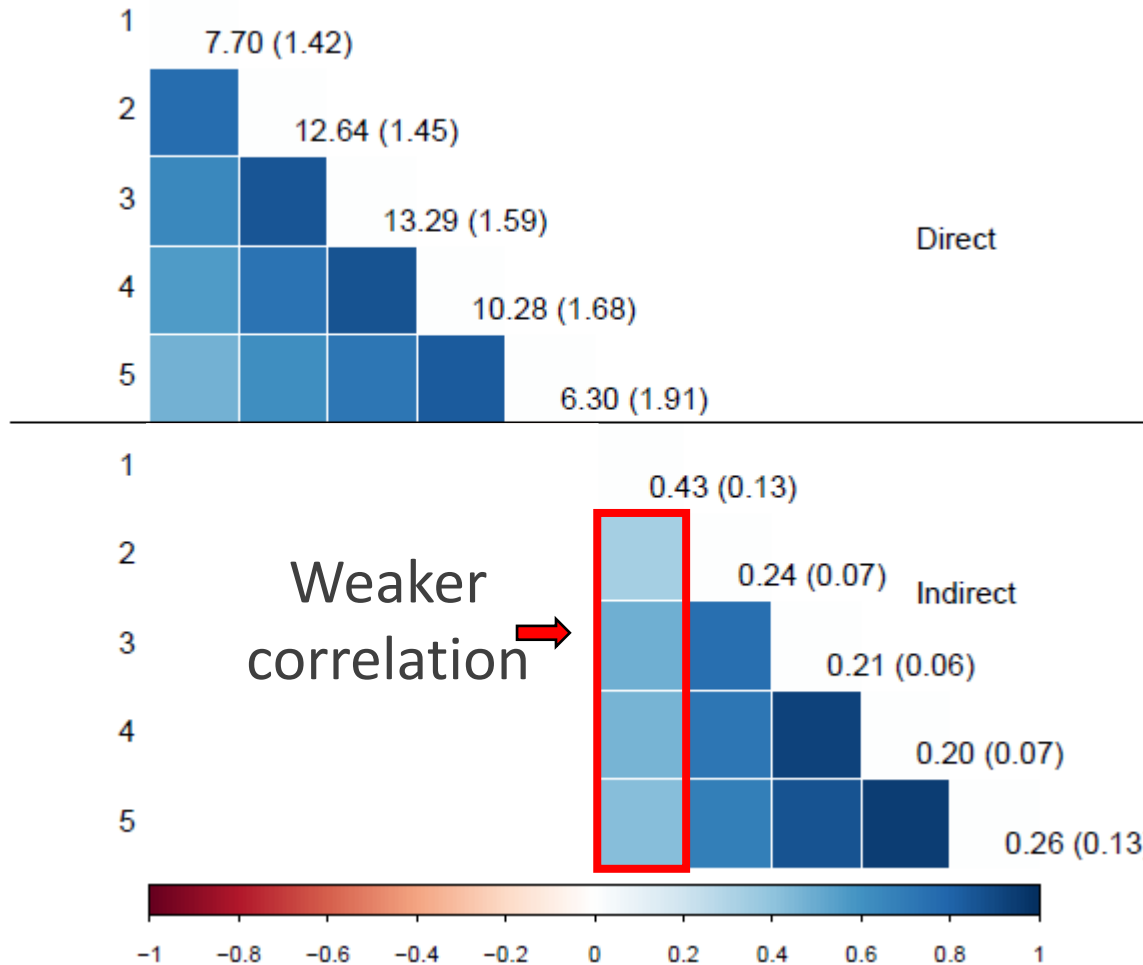
## Result ▶ Genetic correlations





Evaluate changes of SGE (and DGE) over time for ADG in rabbit

## Result ▶ Genetic correlations

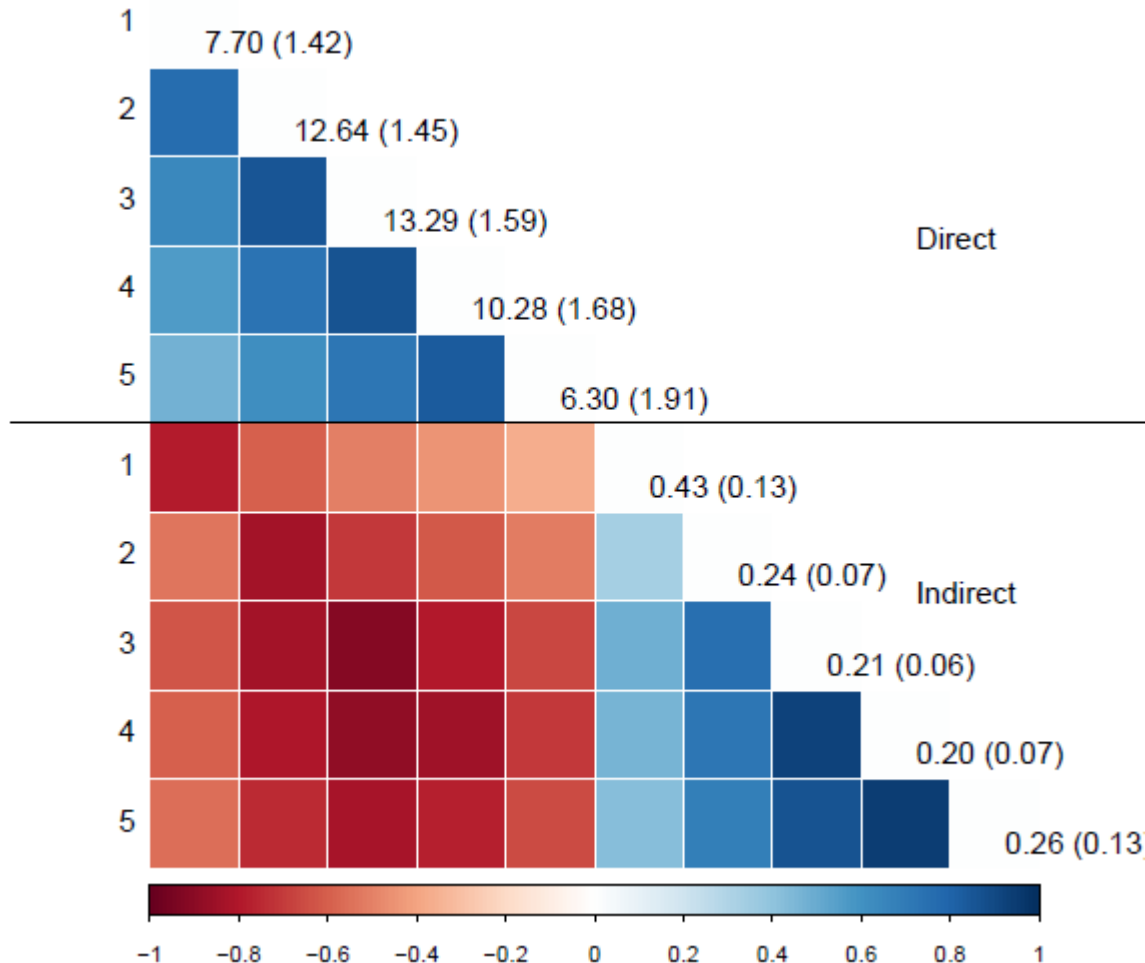


SGE first week = different trait



Evaluate changes of SGE (and DGE) over time for ADG in rabbit

## Result ▶ Genetic correlations



Genetic antagonism between direct and social genetic effects



Evaluate changes of SGE (and DGE) over time for ADG in rabbits

## In summary

- ▶ Genetic variances vary over time
- ▶ SGE first week is a different trait than SGE of the following weeks
- ▶ There is a genetic antagonism between direct and social genetic effects





## General conclusion

- ▶ This study confirms the hypothesis of changes of SGE over time
- ▶ SAD model was appropriate to model these changes
  - ▶ SAD programs for correlated random effects are freely available on zenodo  
<https://zenodo.org/record/1228058>

# Feed-a-Gene



Adapting the **feed**, the **animal** and the **feeding techniques** to improve the efficiency and sustainability of monogastric livestock production systems



account for  $\Delta SGE$  for selection.

## Method

### Simulation study

- Same design as the experiment
- SGE, DGE simulated using an unstructured covariance matrix
- 7 generations of selection
  - Criterion 1: EBV\* from a SAD model without SGE
  - Criterion 2: TBV\* of the first week (SAD model)
  - Criterion 3: sum of the weekly TBV\* (SAD model)



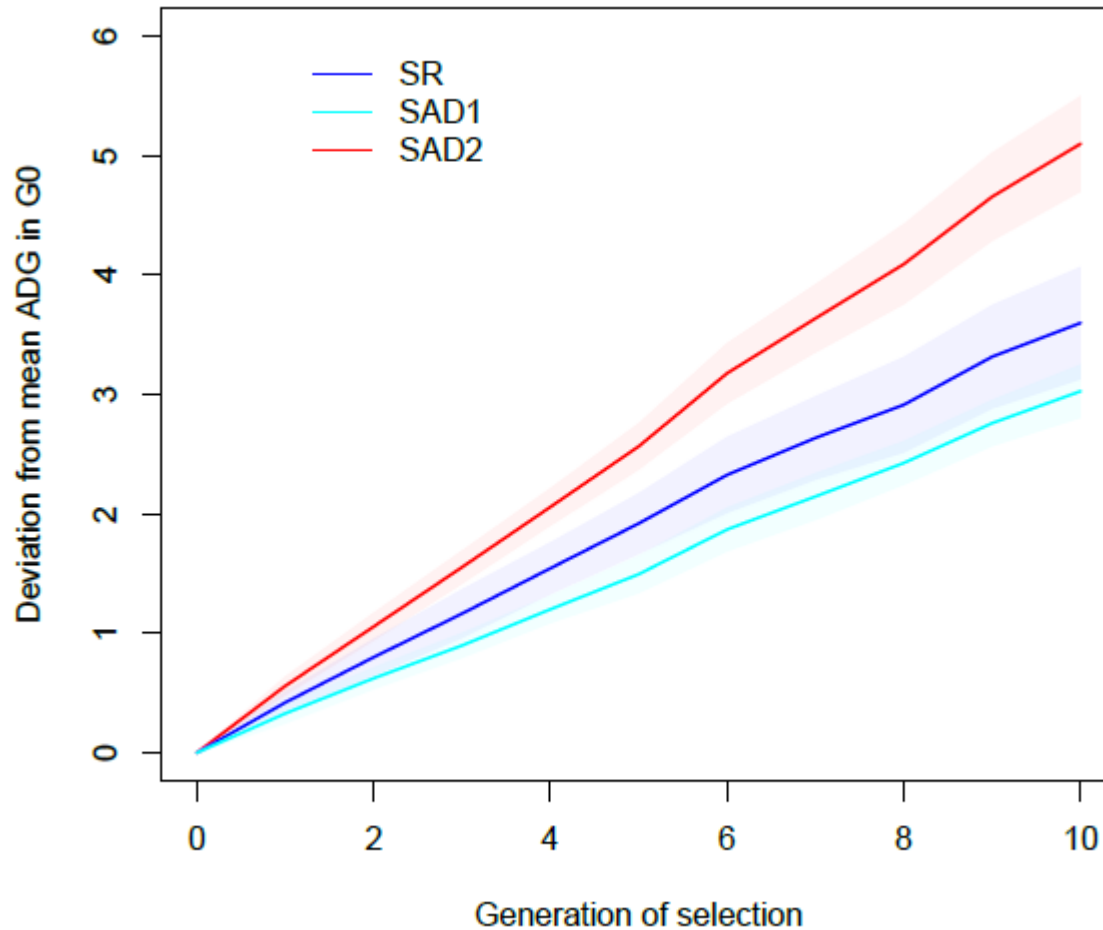
$$*TBV = EBV_d + 7 * EBV_s$$

Changes in ADG over generations



account for  $\Delta IGE$  for selection.

## Result





account for  $\Delta IGE$  for selection.

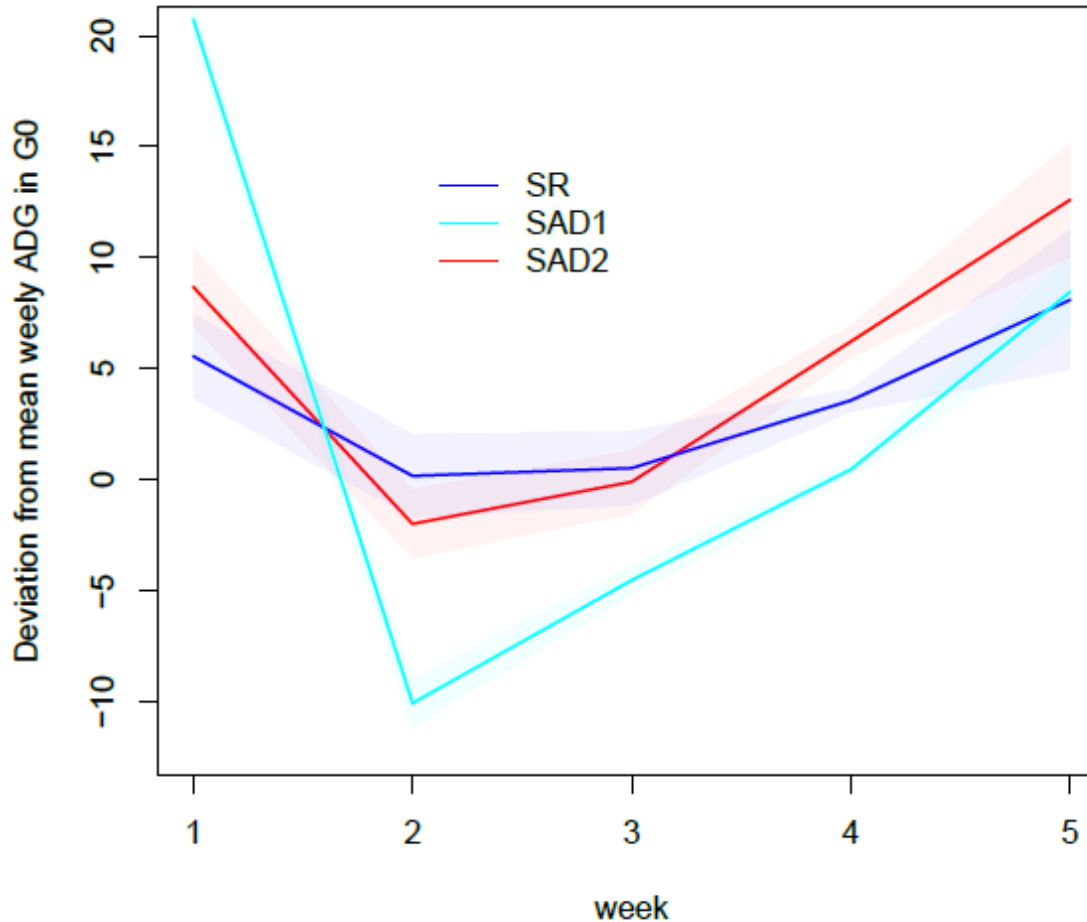
## Conclusion

- ▶ Selection is more efficient when changes of SGE over time are taken into account



account for  $\Delta IGE$  for selection.

## Result





$$\mathbf{y}(t) = \boldsymbol{\mu}(t) + \mathbf{u}(t) + \mathbf{p}(t)$$

$$\mathbf{p}(t_0) = \mathbf{e}(t_0)$$

$$\mathbf{p}(t_j) = \sum_{k=1}^s \boldsymbol{\theta}_{kj} \mathbf{p}(t_{j-k}) + \mathbf{e}(t_j)$$

$$\mathbf{e}(t_j) \sim N(0, \sigma_{ej}^2), \sigma_{ej}^2 = \exp(a + bt + ct^2 + \dots)$$

$$\boldsymbol{\theta}_{jk} = \mathbf{a}' + \mathbf{b}'t + \dots$$

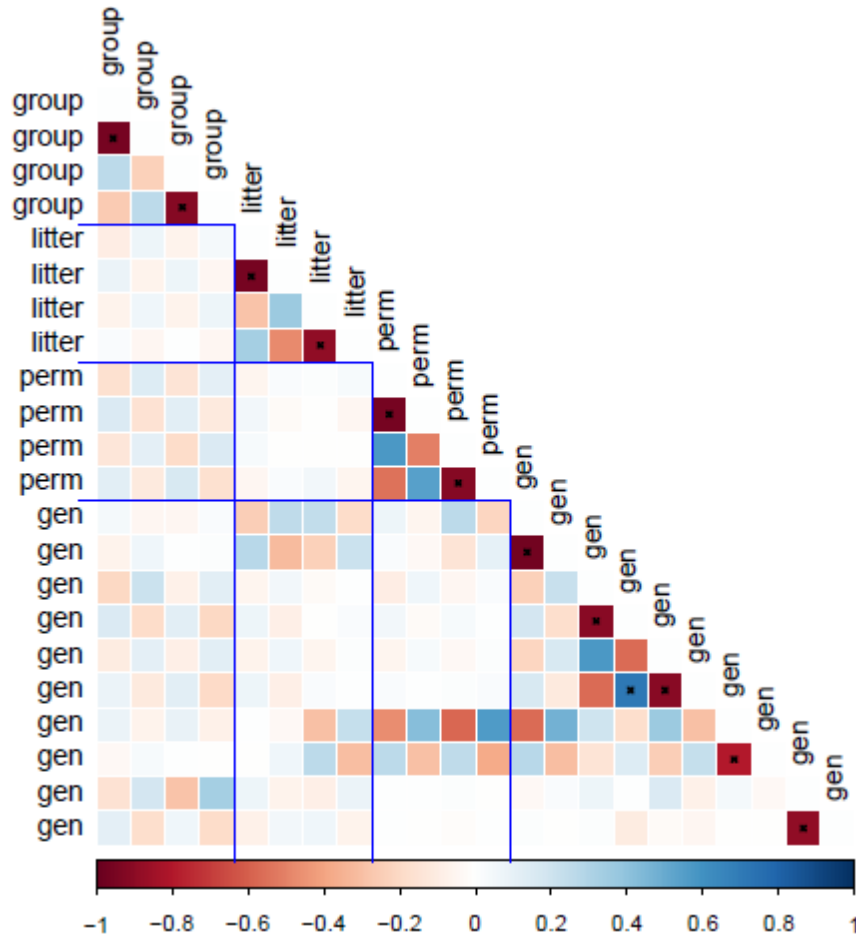
SAD ordre-degré dep, degré variance

Ex: SAD 1-00, SAD2-101



## Identifiability

# Correlation matrix between parameters estimates







## Identifiability

# Correlation matrix between variance component estimates

