

# The impact of non-additive effects on the genetic correlation between populations

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# Acknowledgements



Funding:

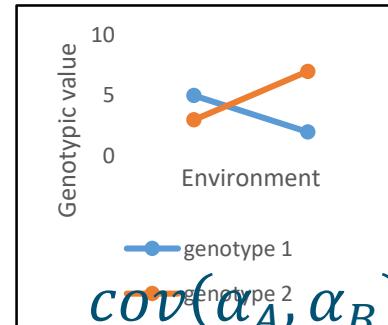


# Genetic correlation between populations ( $r_g$ )

A

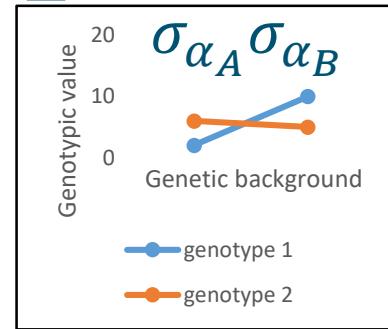


GxE



$$r_g = \frac{cov(\alpha_A, \alpha_B)}{\sigma_{\alpha_A} \sigma_{\alpha_B}}$$

GxG



$r_g$

B



# Example of GxG - Epistasis

	AA	Aa	aa
BB	2.4	1.2	0
Bb	1.2	1.2	1.2
bb	0	1.2	2.4

Average effect ( $\alpha$ ) of locus A, depends on  $p$  of B

# How do *dominance* and *epistasis* affect the genetic correlation between populations ( $r_g$ )?

- Type of non-additive effects
- Size of non-additive effects
- Divergence between populations

# Objective

Study effect of dominance and epistasis on  $r_g$

- Simulate 2 livestock populations
  - Separated for 50 generations
    - Population A selected
    - Population B drift
  - Simulate dominance or epistasis
    - Vary effect size and number of interactions

# Genetics of the trait

500 QTL

Additive effects

$a \sim Normal(0,1)$

5 genetic models

- Dominance
- Epistasis  
(4 models)

3 non-additive effect sizes

- Small (realistic)
- Intermediate
- Large

# Epistatic models

a. Additive x additive ( $E_{AA}$ )

		genotype locus <i>I</i>		
		YY	Yy	yy
genotype locus <i>k</i>	WW	2	1	0
	Ww	1	1	1
	ww	0	1	2

b. Dominance x dominance ( $E_{DD}$ )

		genotype locus <i>I</i>		
		YY	Yy	yy
genotype locus <i>k</i>	WW	0	1	0
	Ww	1	1	1
	ww	0	1	0

c. Complementary ( $E_c$ )

		genotype locus <i>I</i>		
		YY	Yy	yy
genotype locus <i>k</i>	WW	1	1	0
	Ww	1	1	0
	ww	0	0	0

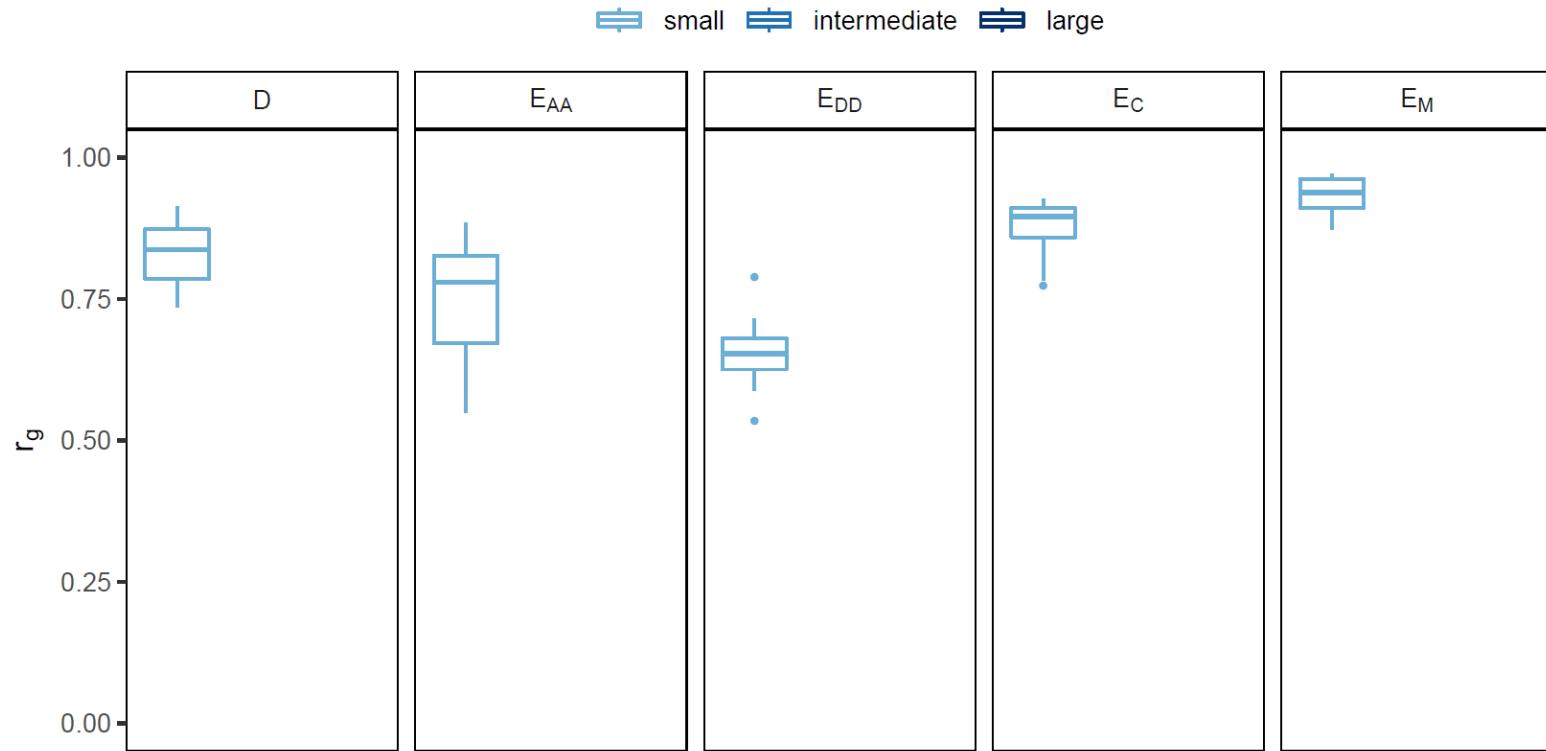
d. Multiplicative ( $E_M$ )

		genotype locus <i>I</i>		
		YY	Yy	yy
genotype locus <i>k</i>	WW	4	2	0
	Ww	2	1	0
	ww	0	0	0

Each locus involved in 5 interactions

# Results

# Impact of genetic model and effect size



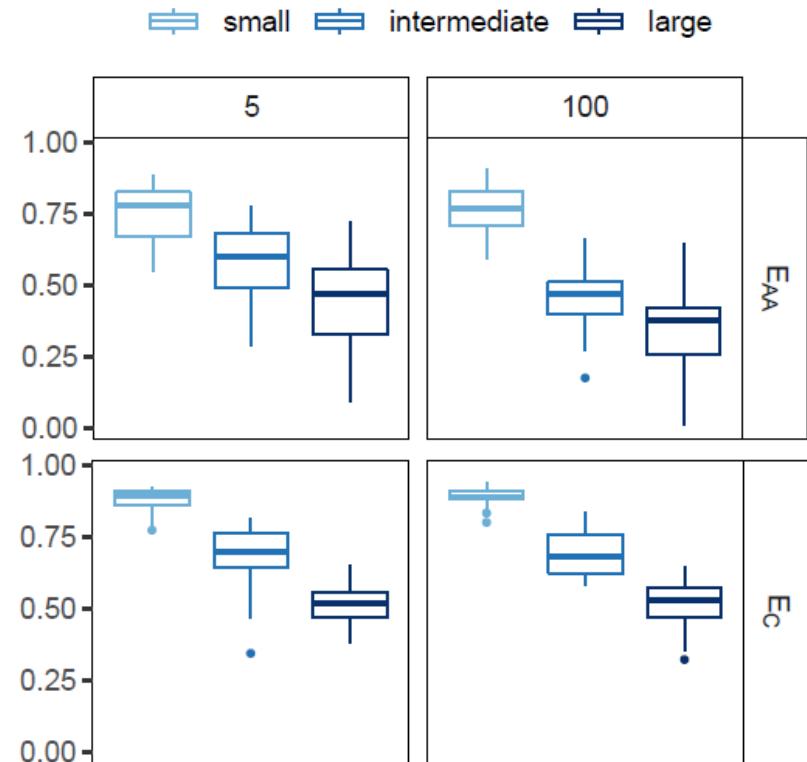
# Effect of N interactions per locus

5 interactions with “large” effect

100 interactions with “small” effect

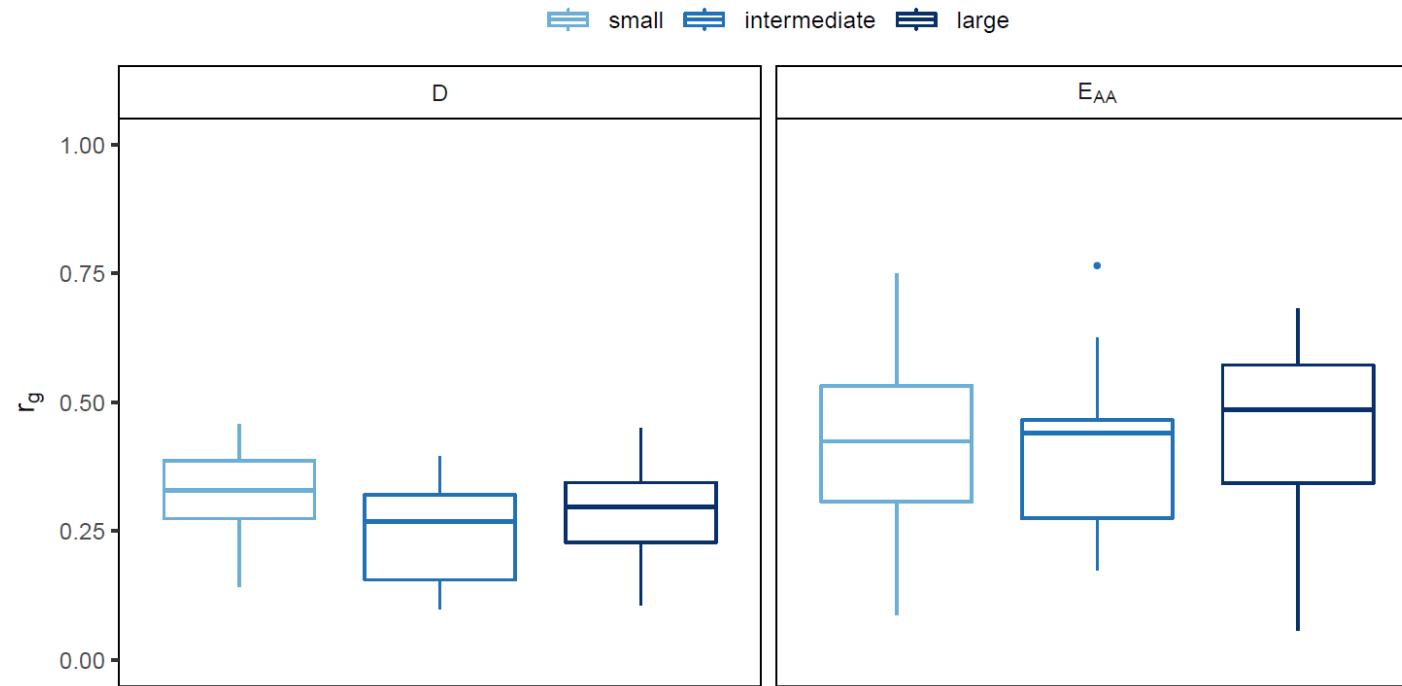
## Similar effects of

- **Magnitude**
- **N interactions/locus**



# Limit to $r_g$ ?

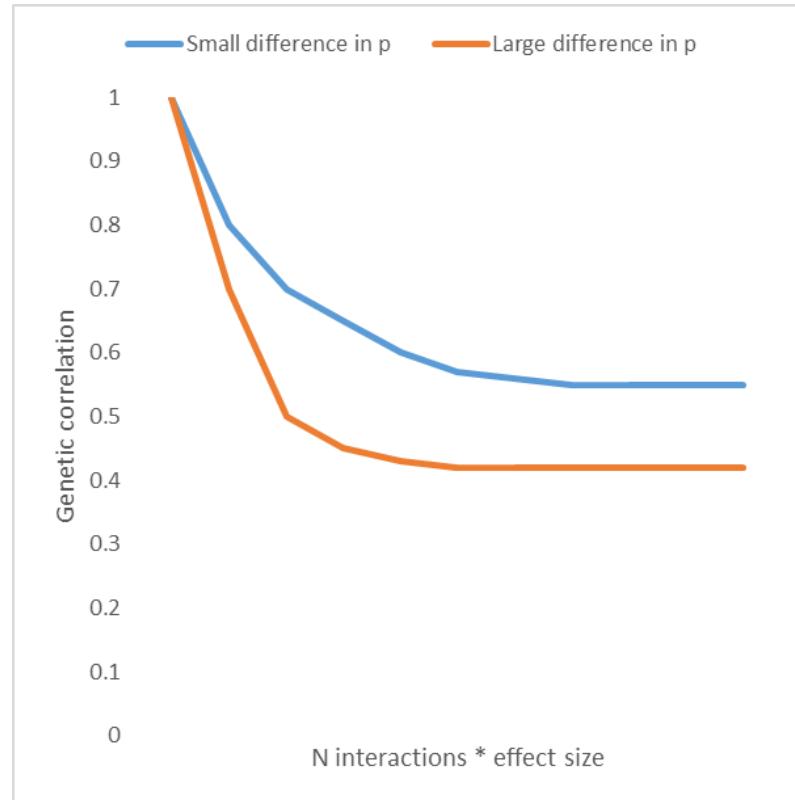
## Massive dominance and epistatic effects (x100)



# No effect of increasing effect size?

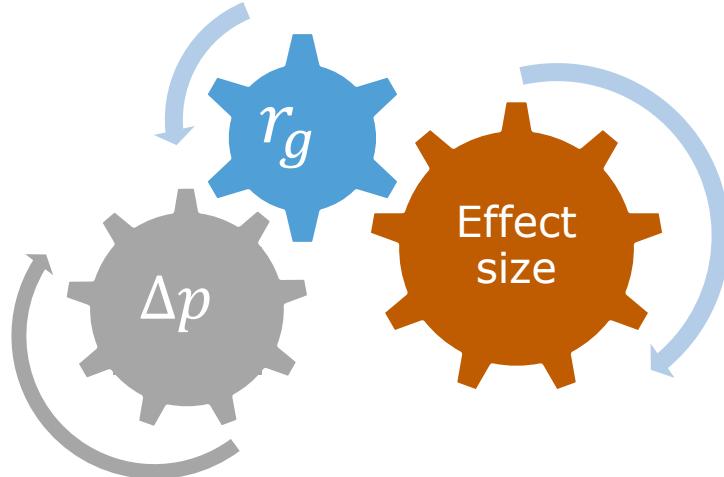
Increase in effect size or N  
interactions also changes the  
scale of  $\alpha$

$$r_g = \frac{\text{cov}(\alpha_A, \alpha_B)}{\sigma_{\alpha_A} \sigma_{\alpha_B}}$$

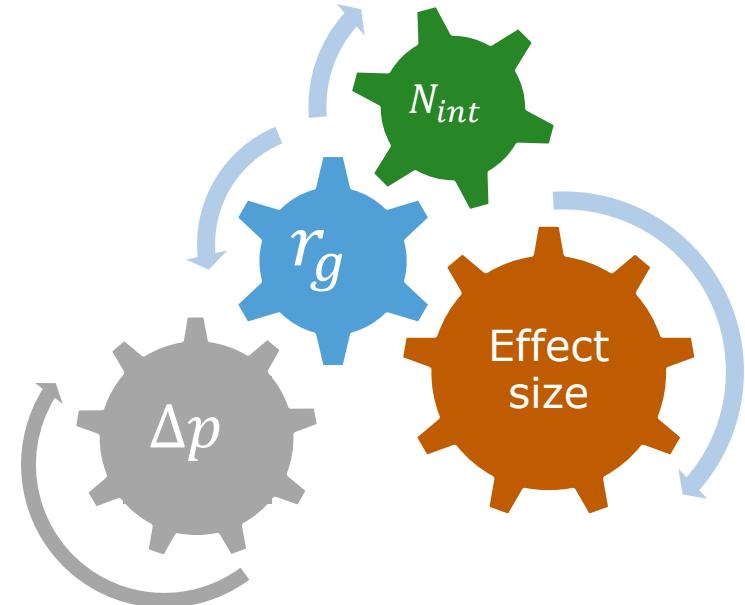


# Take-home message

Dominance



Epistasis



# Conclusions

- $r_g < 0.8$  unlikely to be due to dominance alone
  - Dominance variance is usually small
- $r_g$  depends on
  - population divergence ( $\Delta p$ )
  - size dominance effects
  - size epistatic effects \* N interactions
- Differences in allele frequency may limit  $r_g$



scenario	Effect size	VA	VD	VI
<b>D</b>	Small	0.924	0.076	0.000
	Intermediate	0.511	0.489	0.000
	Large	0.198	0.802	0.000
<b>E<sub>AA</sub></b>	Small	0.997	0.000	0.003
	Intermediate	0.988	0.000	0.012
	Large	0.969	0.000	0.031
<b>E<sub>DD</sub></b>	Small	0.694	0.303	0.004
	Intermediate	0.347	0.637	0.016
	Large	0.152	0.813	0.035
<b>E<sub>C</sub></b>	Small	0.947	0.051	0.001
	Intermediate	0.737	0.250	0.013
	Large	0.471	0.511	0.017
<b>E<sub>M</sub></b>	Small	0.999	0.000	0.001
	Intermediate	0.995	0.000	0.005
	Large	0.989	0.000	0.011